

Using your genius to measure the circumference
of a plate, masquerading as the Earth, not forgetting
the string.

N.B. Simultaneous observations
for the empirical work

DF
2016, December 2

$$\theta_1 = 18^\circ$$

$$\theta_2 = 48^\circ$$

$$\Delta\theta = 30 \text{ degrees}$$

Direction of the
light from the distant Sun

You should draw them parallel
to each other.

θ_1 is the angular
distance of the
Sun from the zenith
for an observer
at A.

Zenith at point A

$$\theta_1$$

Zenith at

/ Point B

θ_2 is the angular
distance of the
Sun from the
zenith for an
observer at B.

Well, an arc of the rim

The rim of the
plate represents
the surface of
the Earth

A

B

measured using a
length of string...

$$\Delta\theta \text{ (the change in } \theta) \cdot 30 \text{ degrees} \longrightarrow 6.5 \text{ cm}$$

This is the angular shift
of the Sun, measured from
the zenith, for locations
A and B, which are at
different positions on the
surface of the Earth.

$$1 \text{ degree} \longrightarrow \left(\frac{6.5}{30} \right) \text{ cm}$$

$$\therefore 360 \text{ degrees} \longrightarrow \left(\frac{6.5 \times 360}{30} \right) \text{ cm}$$

$$\therefore \underline{\text{the circumference of the plate}} = 78 \text{ cm}$$

$$\text{I then measured its radius to be } 12.6 \text{ cm} \quad \therefore \text{Circumference}_{\text{plate}} = 79 \text{ cm}$$